

Comments to the diagrams

The diagram of "reception performance" shows the signal-to-noise ratio of extra terrestrial signal reception (sun noise) dependent on f/D ratio.

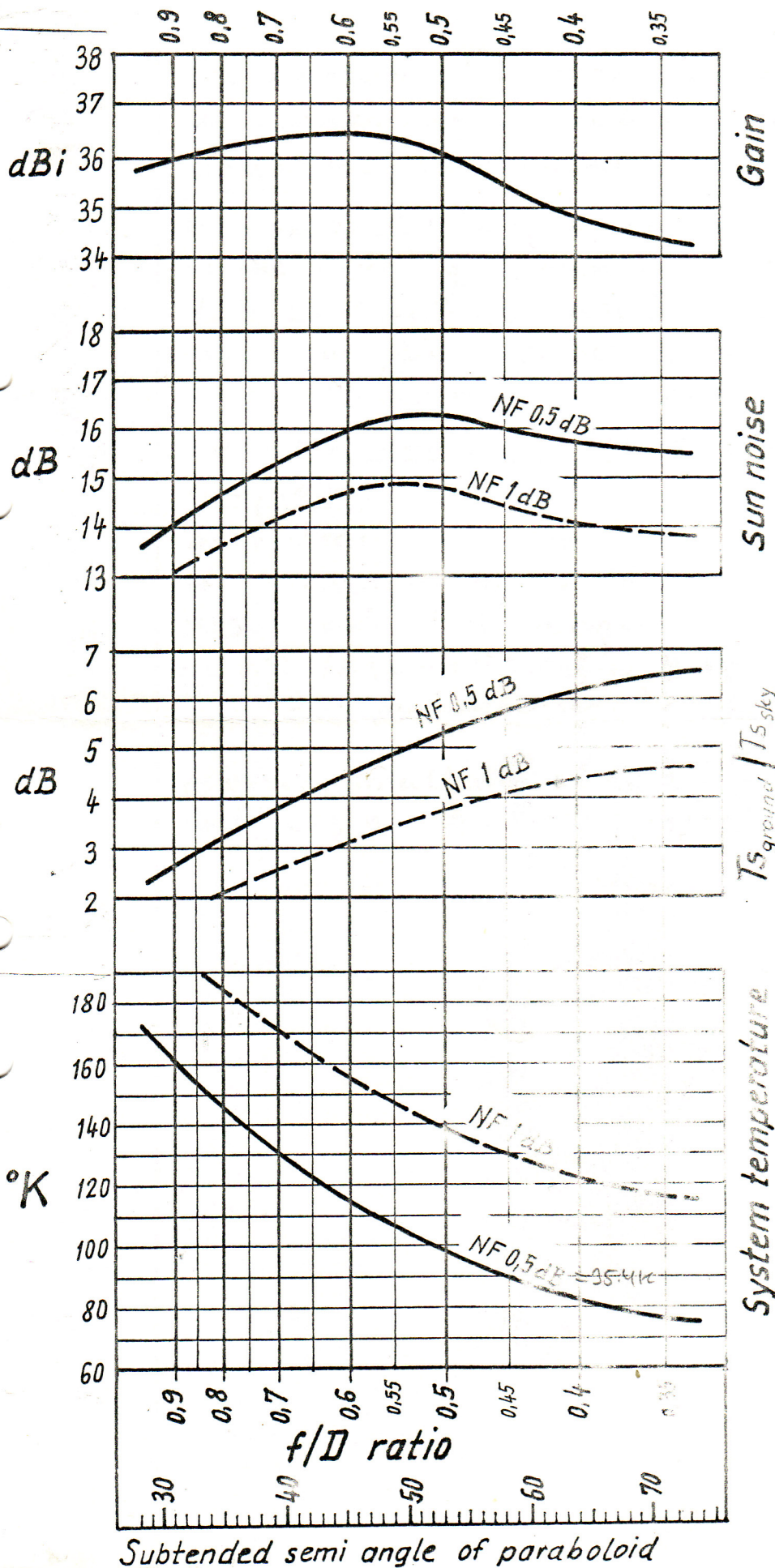
Using a 0,5 dB NF front end, the best performance of the receiving system looks at 0,52 f/D (corresponding to -12,6 dB dish edge illumination). The maximum gain is achieved at 0,59 f/D (corresponds to -9,9 dB dish edge illumination).

The best overall performance requires a compromise. In this case, compromise means an f/D ratio which gives equalized loss of transmission- and reception-performance. A closer look at the diagram shows this compromise at 0,55 f/D (both losses approx 0,2 dB) which corresponds to 11,3 dB aperture taper.

However, small movements in the 0,5 - 0,6 f/D range achieves no significant effects on performance.

June 84, 0E9 PMJ

Performance of a dish antenna in relation to f/D ratio, illuminated by a dual mode horn (W2 IMU design) on 1296 Mc



TRANSMISSION PERFORMANCE

Gain of 20ft dish dia

On 0,59 f/D maximum aperture efficiency $\eta^f = 0,645$, where spill-over $\eta^s = 0,831$ and illumination $\eta^i = 0,776$

RECEPTION PERFORMANCE

maximum at 0,52 (0,54) f/D ratio

Calculated sun noise (Flux 65) for a 20ft dish and 0.5 (1.0) dB noise figure preamp.

Ratio of thermal earth noise (antenna aimed at horizon - elevation) to sun sky reception.

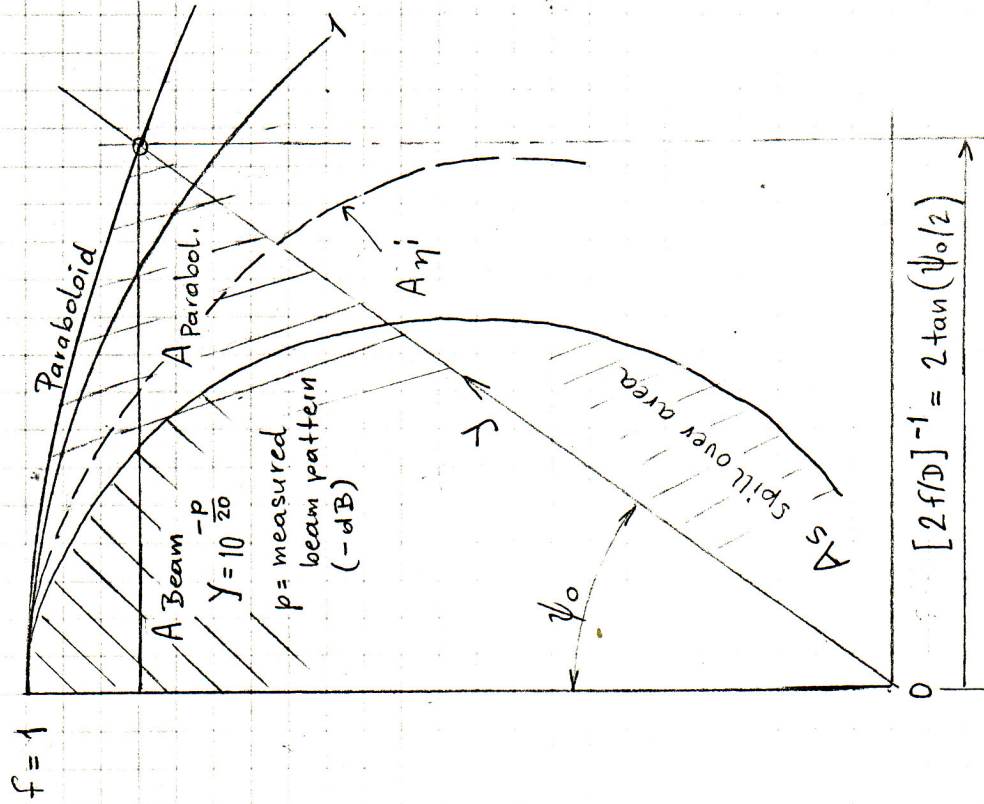
It is a measure of receiver system temperature independent of antenna gain.

Noise temperature of receiving system with 0.5 (1.0) dB NF front end, antenna aimed at zenith.

All values are calculated based on a measured beam pattern diagram of the feed horn. Reflector-, phase- and polarization efficiencies are $\eta = 1$.

SCHEME FOR CALCULATION

of illumination efficiency η^i and spillover efficiency η^s of a paraboloid antenna illuminated by a radiator with equal E- and H-plan beam pattern (WZIMU-horn)



* Simpson's approximation

$$A_P = (4f/D)^{-1} + [192(f/D^3)]^{-1}$$

$$= \frac{\tan(\psi_0/2) + \frac{[\tan(\psi_0/2)]^3}{3}}{3}$$

$$\frac{h}{3} = \frac{\pi \cdot \psi_0}{3 \cdot 360 \cdot n}; n = 2k$$

$$A_B = \int_0^{\psi_0} f(\psi) d\psi \approx \frac{h}{3} (y_0 + 4y_1 + 2y_2 + 4y_3 + 2y_4 + \dots + 2y_{2k-2} + 4y_{2k-1} + y_{2k})$$

$$A \eta^i = \sqrt[3]{A_B \cdot A_P^2}; \quad \eta^i = \frac{A \eta^i}{A_P} = \sqrt[1.5]{\frac{A_B}{A_P}}$$

$$A_s = \int_{\psi_0}^{180^\circ} f(\psi) d\psi; \quad \eta^s = \frac{A_B + A_s}{A_P}$$

Aperur efficiency $\eta^f = \eta^i \cdot \eta^s \cdot \eta^\phi \cdot \eta^p \cdot \eta^r$; η^ϕ (phase) ≈ 1 , η^p (polarization) ≈ 1 , η^r (reflector performance) $\approx 0.85 \dots 0.995$

June 1984, OE97HJ